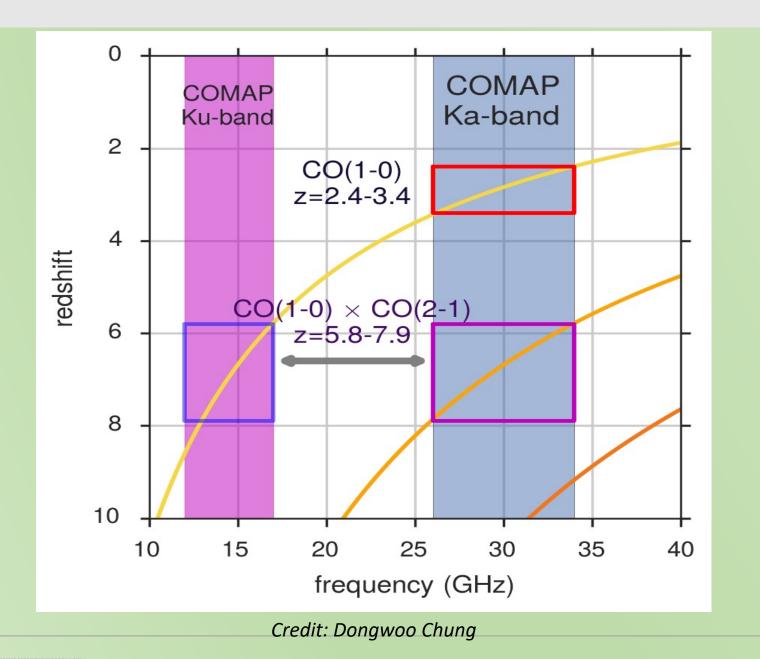
INTRODUCTION

- Line intensity mapping (LIM) is a technique that measures the total emission of spectral lines from galaxies and the intergalactic medium (IGM) over large volumes
- Carbon Monoxide (CO) Mapping Array Project (COMAP) is a CO LIM experiment at high red-shift which is a part of a program that aims to trace the spatial distribution of star-forming galaxies at the Epoch of Reionization (EoR)
- Cross-correlating the two frequency bands used in COMAP will give us information about CO emission at z~7 and give constraints on galaxies at the EoR

RESEARCH GOAL

My goal is to pull out the common z~7 signals from under the brighter z~3 interloper. For this, I use a statistic termed Conditional Voxel Intensity Distribution (CVID)



CVID STATISTIC

Convolution Theorem

For indepen random vari T1,T2 $P_{1+2}(T) = 0$

Defining the R_{ij} estimator

- become

- Fourier space is $\widetilde{P^{2D}}(\widetilde{T}_i, \mathcal{I})$
- the signals,

Line-intensity Cross-correlations

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ident iables	In Fourier space,
$(P_1 \circ P_2)(T)$	$\tilde{P}_{1+2}(\mathcal{T}) = \tilde{P}_1(\mathcal{T})\tilde{P}_2(\mathcal{T})$

If we have two data sets with correlated signals and different noise, the signal PDF is $P_S^{2D}(T_i, T_j) = P_S(T_i)\delta_{ij}$ and the noise PDF is $P_N^{2D}(T_i, T_j) = P_N(T_i)P_N(T_j)$

In Fourier space, we get these 2D PDFs

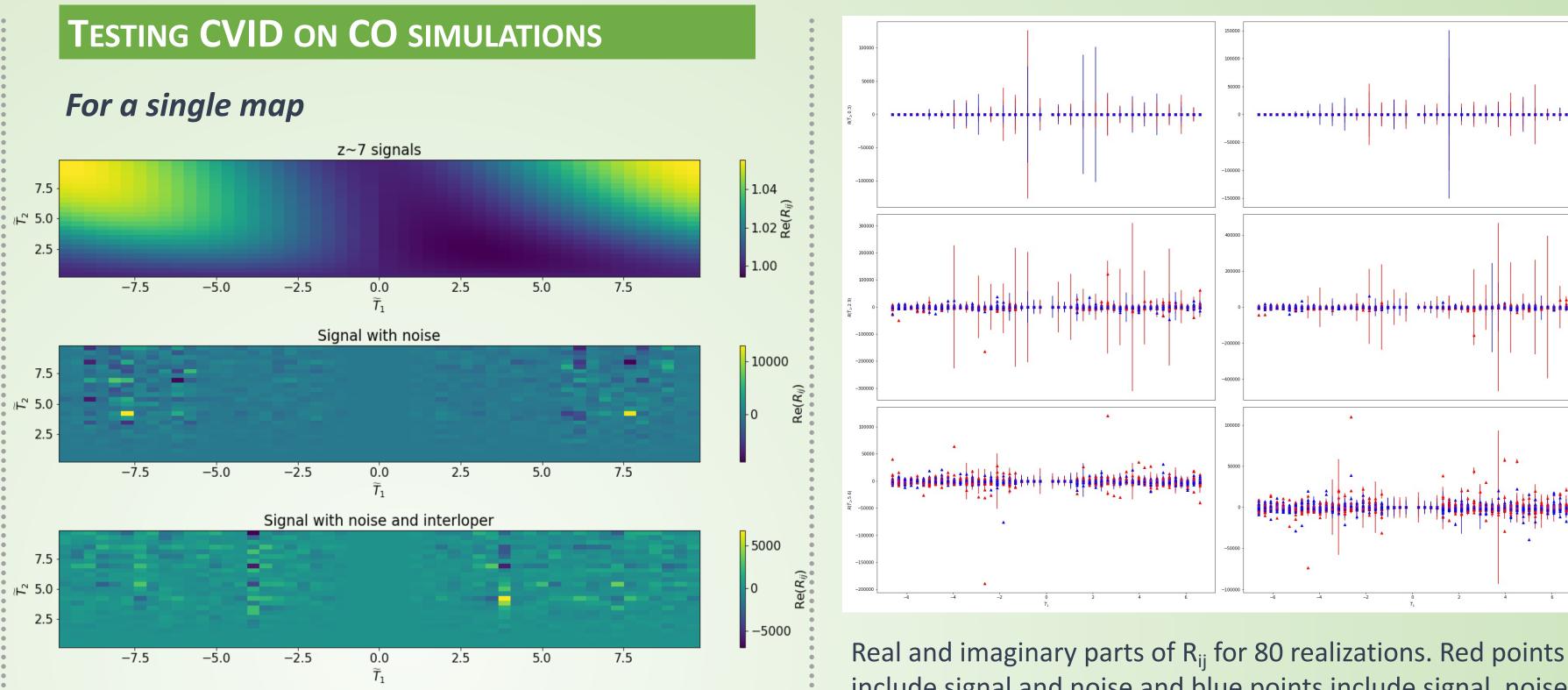
$$\widetilde{P}(\widetilde{T}_i, \widetilde{T}_j) = \widetilde{P}_S(T_i + T_j)$$
 and
 $\widetilde{P}_N(\widetilde{T}_i, \widetilde{T}_j) = \widetilde{P}_N(\widetilde{T}_i)\widetilde{P}_N(\widetilde{T}_j)$

By convolution theorem, the full 2D PDF in

$$\widetilde{T}_{j}) = \widetilde{P_{S}^{2D}}(\widetilde{T}_{i}, \widetilde{T}_{j}) \widetilde{P_{N}^{2D}}(\widetilde{T}_{i}, \widetilde{T}_{j})$$

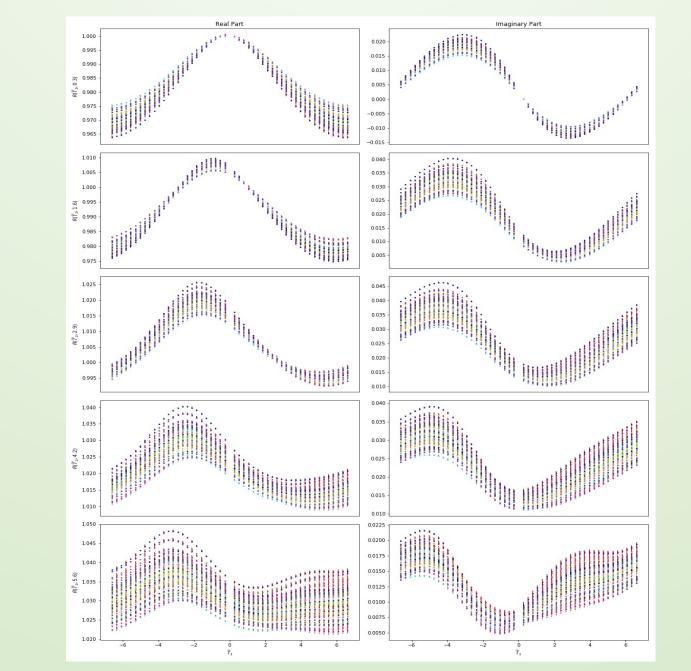
We define the following estimator called R_{ii} whose expectation value only depends on

$$R_{ij} \equiv N_{vox} \frac{B_{ij}}{\tilde{B}_i \tilde{B}_j}$$
$$< R_{ij} > \approx \frac{\tilde{P}_S(T_i + T_j)}{\tilde{P}_S(\tilde{T}_i)\tilde{P}_S(\tilde{T}_j)}$$



Color map showing real part of R_{ii} for a single realization with only z~7 signals present, signal with noise, signal with noise and z~3 interloper

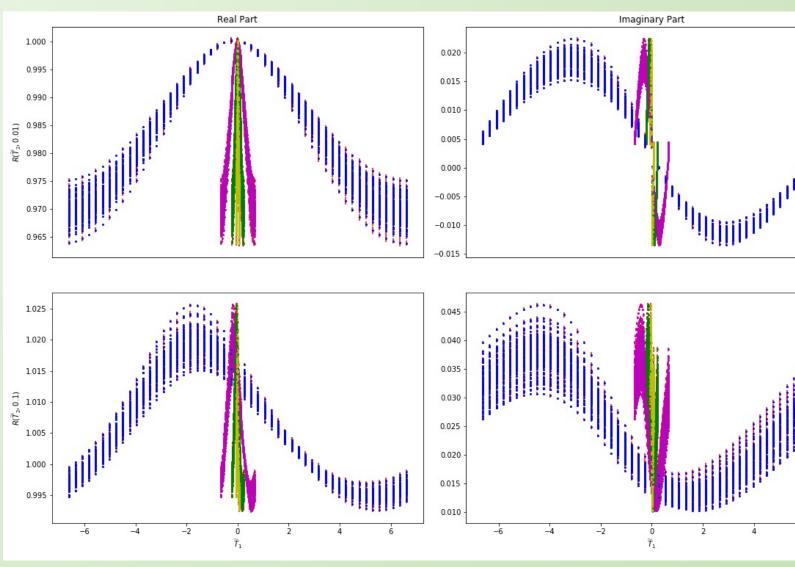
For 80 maps



Real and imaginary parts of R_{ii} for 80 realizations with only signal present. R_{ii} is plotted at different \tilde{T}_2 slices.

include signal and noise and blue points include signal, noise and the interloper at z~3.

Collecting CVID data for 80 maps with scaled signals



Real and imaginary parts of R_{ii} for 80 realizations with only signal present plotted at different \tilde{T}_2 slices. Blue data represents the unscaled z~7 signals, the magenta represents those signals scaled by a factor of 10, the green is for a factor of 30 and yellow is for 100.

CONCLUSION + NEXT STEPS

- The R_{ii} plots with noise and interloper show that the CVID statistic is robust to noise for low \tilde{T}_1 values
- The signal-only plots show that for higher \overline{T}_2 values, R_{ii} values vary more
- Next steps include understanding how CVID behaves for realizations where z~7 signals are scaled up by some factor and plotting 5 and 95 percentiles of Rij distributions for each case (signal only, signal and noise, signal, noise and interloper) at each \tilde{T}_1 to better visualize the data

REFERENCES

CVID Notes by Patrick C. Breysse (private communication)