# Digital Micromirror Device Multi-Object Spectrograph (DMD-MOS) Calibration

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#### Introduction

Single slit spectrographs can only generate the spectra of one object at a time. By acting as a programmable slit mask, DMDs allows a spectrograph to generate spectra of many different objects in the same field of view, such as M56 pictured here -

#### **Problem**

How can we predict the location each object's spectra will be on the detector, and select objects so that their spectra don't overlap?

#### **Solution Outline**

- 1. Calculate output parameters
- 2. Relate mirror location with spectra location
- 3. Generate spectra with simulated data
- 4. Perform wavelength calibration

# Input Parameters

#### Telescope

diameter D<sub>T</sub> resolving power R F-ratio F/#<sub>T</sub> field of view FOVx, FOVy

Wavelength

#### **DMD**

# of mirrors NMX, NMY mirror pitch  $p_{M}$ plate scale S<sub>M</sub>

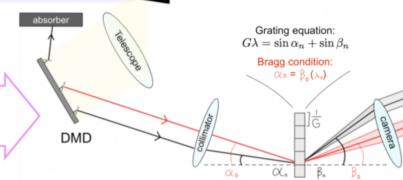
minimum central maximum

Groove density G

Diffraction grating

#### Detector # of pixels N<sub>DX</sub>, N<sub>DY</sub>

pixel pitch plate scale Sp



#### Calculated Output Parameters

pixels per mirror Np1 (SD, SM) spectrograph magnification Ms(pp,pM,Np1) spectral resolution Number of bandpasses focal lengths

 $\triangle \lambda (R, \lambda_c)$  $BP(\lambda_{min}, \lambda_{max}, \triangle \lambda)$  $f_T(F/\#,D)$ 

 $f_{\text{cam}}\left( {{{\lambda }_{\text{min}}},{{{\lambda }_{\text{max}}},}G,BP,p_{\text{D}}} \right)$  $f_{col}(f_{cam}, M_s)$ 

grating to camera distance  $d(p_c, p_u, N_{p1}, N_{MX}, f_{col}, \lambda_c)$ 

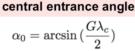
Solving for outputs illustrates how each parameter is related to the others

## slit n mirrors from DMD center

#### n = -2-1 0 center slit

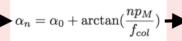
2x2 mirror per slit by Nyquit Sampling Theorem

# Translating DMD slit choice to location of spectra on detector



From Bragg condition

entrance angle n



From trigonometry

exit angle n

diffraction grating

 $\rightarrow \alpha_n = \alpha_0 + \arctan(\frac{np_M}{f}) \longrightarrow \beta_n(\lambda) = \arcsin(G\lambda - \sin(\alpha_n))$ 

From grating equation

detector

distance from detector center

 $X_n(\lambda) = d \tan(\beta_0(\lambda_c) - \beta_n(\lambda))$ 

 $P_x(n,\lambda) = \frac{N_{DX}}{2} + \frac{X_n(\lambda)}{n_D}$ 

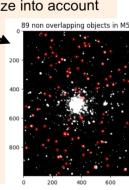
Spectral pixel number

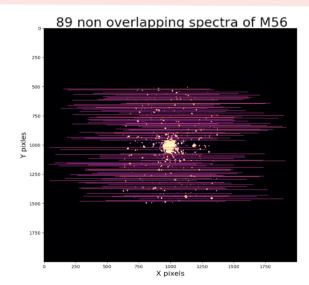
### Simulating Predicted Spectra

Exposure of M56 taken via iTelescope Objects identified using algorithm taking threshold brightness and size into account

Overlap prevented by filtering for objects at least 2 slit widths apart in the spatial (y) dimension

Spectra generated using equation derived in part 2





The pixel number corresponding to each wavelength and slit location can now be predicted

# **Wavelength Calibration** Polynomial fit residuals

Wavelength (nm)

Using a light source with known spectral features, a polynomial fit for spectra at each location on the detector can be performed

This figure shows that higher order fits have lower residuals

(Without lab access to DMD-MOS, a single slit spectrograph was calibrated using an Hg lamp as practice)

#### **Next Steps**

Generate true simulated data to pass through simulated optics on Zemax, and perform calibration on real DMD-MOS (limited by restricted access to lab)